

NOMENCLATURE

Latin symbols:

- in figures:

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| A | - liquid being investigated; |
| B, C | - liquid heat transfer agents; |
| ADC | - analog-to-digital converter; |
| ASSR TPP | - an automated system for the scientific research of the thermophysical properties of liquids; |
| CD | - control device; |
| DAC | - digital-to-analog converter; |
| DRD | - the digital readout device; |
| FM | - flow rate meter; |
| MCS | - measuring-computing system; |
| MP | - microprocessor; |
| MT | - the measuring tube; |
| SW | - stopwatch; |
| SM | - servomechanism; |
| TPP | - thermophysical properties; |
| VR | - voltage regulator; |

- in equations:

- | | |
|--|--|
| A | - thermal diffusivity tensor; |
| $a_{r\varphi}, a_{\varphi r}, a_{x\varphi}, a_{\varphi x}, a_{xr}, a_{rx}$ | - the extradiagonal components of the thermal diffusivity tensor, A; |
| $a_{\varphi\varphi}, a_{rr}, a_{xx}$ | - the diagonal components of the thermal diffusivity tensor, A; |
| A_n | - constant coefficients; |
| a | - thermal diffusivity; |
| a_w | - the thermal diffusivity of tube wall; |
| B_n | - constant coefficients; |
| C | - constant coefficient; |
| c | - specific heat capacity; |
| $d = 2R$ | - internal diameter of the central tube; |
| $F(\bar{z}), f(\bar{\theta}), f_n(\bar{R})$ | - mathematical functions; |
| f | - index of the sample geometry |

$G(r, \xi, z, \eta), \bar{G}(\bar{r}, \bar{\xi}, \bar{z}, \bar{\eta})$	($f = 0, 1, 2$ correspondingly for flat, cylindrical and spherical systems); - Green's functions in dimensional and dimensionless form;
g	- liquid volume flow rate through the tube;
g	- gravitational acceleration;
K, k, k_1, k_2, k_3, k_4	- constant coefficients;
k	- parameter of the power law /8.2/;
$L, L_1, L_2, \ell_1, \ell_2, \ell_h,$ $\ell_{h1}, \ell_{h2}, \ell_{is}$	- lengths of the sections of the measuring tubes;
m	- heat transfer parameter;
n	- parameter of the power law /8.2/;
P	- electrical power, consumed by the electrical heater;
p	- Laplace transformation parameter;
$Pe = \frac{\bar{\omega}d}{a}$	- Peclet number;
q, q_w	- heat flux, heating the liquid flow on the heat exchange section of MT;
\bar{q}	- heat flux vector;
R	- internal radius of the central tube;
$R1, R2, R3$	- resistances;
$R_1, R_2, R_3, R_4, R_i, R_n$	- dimensional coordinates of the boundary surfaces;
r, z	- the radial and longitudinal coordinates of the heat exchange section;
$\bar{r} = \frac{r}{R}, \bar{z} = \frac{\pi a z}{2g}$	- dimensionless radial and longitudinal coordinates of the heat exchange section;
$RK1, RK2, RK3, RK4$	- resistant thermometers;
Re	- Reynolds number;
T	- temperature;
T_0	- the initial value of sample temperature;
T_1, T_2	- temperatures on the surfaces of the sample with coordinates $r = R_1, r = R_2$;
$T_b, T_e, \bar{T}_b, \bar{T}_e$	- bulk temperatures of the liquid in the beginning and end of the test section;
$(T_e - T_w), (T_b - T_w), (T_e - T_b)$	are the temperature differences,

$$\frac{T_w}{\bar{T}}, \bar{T}_1, \bar{T}_2$$

measured on the MT of the different type;

- temperature of the tube wall;
 - deviation of the mean integral value of the wall temperature on the measuring device central tube heat exchange section from the initial temperature T_0 ;

$$\frac{U_b, U_e}{\bar{U}}$$

- output signals;
 - velocity vector;

$$V$$

- liquid volume, which is gathered in the measuring vessel in time τ ;

$$\frac{W}{\bar{W}}$$

- density of internal heat sources;
 - dimensionless density of the internal heat sources;

$$x$$

- axis;

$$Y_1 = \frac{\pi a L_1}{2g}, Y_2 = \frac{\pi a L_2}{2g}$$

- values of dimensionless coordinate

$$\bar{z} = \frac{\pi a z}{2g} \text{ at } z=L_1 \text{ and } z=L_2;$$

$$z$$

- dimensional longitudinal coordinate of the tube;

$$\bar{z} = \frac{\pi a z}{2g}$$

- dimensionless longitudinal coordinate of heat exchange section;

$$\tilde{z} = \frac{z}{g}$$

- ratio of current value of a longitudinal coordinate z to the volume flow rate g ;

Greek symbols:

$$\beta = \frac{\bar{T}_2}{\bar{T}_1}$$

- coefficient of volumetric expansion;
 - ratio of experimentally measured average integral temperature values of tubes wall sections $[\ell_2, L_2]$ and $[\ell_1, L_1]$;

$$\gamma = \frac{d\omega}{dr}$$

- shear rate;

$$\Delta\theta = \frac{\Delta T \lambda}{q_w d} = [\theta(1, \bar{z}) - \bar{\theta}(\bar{z})]$$

- is the difference between the dimensionless temperature $\theta(1, \bar{z})$ of the tube wall and the dimensionless

ΔP ΔT ΔT_{\max}

$$\Delta T = T(R, z) - \bar{T}(z)$$

 $\Delta g, \Delta q_w, \Delta d, \Delta a, \Delta g, \Delta \ell_h,$

$$\Delta(T_e - T_w), \Delta(T_b - T_w)$$

$$\delta a = \frac{\Delta a}{a}, \delta g = \frac{\Delta g}{g}, \delta q_w = \frac{\Delta q_w}{q_w},$$

$$\delta d = \frac{\Delta d}{d}, \delta \ell_h = \frac{\Delta \ell_h}{\ell_h},$$

$$\delta(T_e - T_w) = \frac{\Delta(T_e - T_w)}{(T_e - T_w)},$$

$$\delta(T_b - T_w) = \frac{\Delta(T_b - T_w)}{(T_b - T_w)}$$

 $\delta \bar{\theta}, \Delta \bar{\theta}$ $\delta \mu_a, \delta \lambda$ δ_L $\delta_R = \delta_d$ $\delta_{\Delta P}$ ε bulk temperature $\bar{\theta}(\bar{z})$ of the liquid;

- the pressure difference;

- temperature difference

- the maximum rise of temperature at the distance x from heat source;- difference between dimensional temperature $T(R, z)$ of the tube wall and dimensional bulk temperature $\bar{T}(z)$;- are the absolute errors of the measurement of the flow rate g , heat flux q_w , diameter d , temperature T , thermal diffusivity a , the volume flow rate g , the length ℓ_h of the heat exchange section and temperature difference $(T_e - T_w)$ and $(T_b - T_w)$;- relative errors of $a, g, q_w, d, \ell_h, (T_e - T_w)$ and $(T_b - T_w)$ measurements;- relative and absolute errors of the dimensionless value $\bar{\theta}$ determination;- relative errors of the thermophysical values μ_a and λ of the liquid measurements;- relative error of the measurement of length L of the section;

- relative measurement error of inner radius of the measuring tube;

- relative error of the pressure difference ΔP measurement;- systematic errors of measurements of thermal diffusivity a and thermal

$$\varepsilon_n, \psi_n(\bar{r})$$

$$\theta = (T - T_b)\lambda / (q_w 2R)$$

$$\bar{\theta}(\bar{z}) = 4 \int_0^1 \theta(\bar{r}, \bar{z}) \bar{r} [1 - (\bar{r})^2] d\bar{r}$$

$$\bar{\theta}, \bar{\theta}_i = \frac{T_{ei} - T_w}{T_b - T_w}$$

$$\theta_{opt}$$

$$\bar{\theta}_e = \frac{T_e - T_w}{T_b - T_w}$$

$$\bar{\theta}_f$$

$$\bar{\theta}(\bar{z})$$

$$\Lambda$$

$$\lambda$$

$$\lambda_{r\varphi}, \lambda_{\varphi r}, \lambda_{x\varphi}, \lambda_{\varphi x}, \lambda_{xr}, \lambda_{rx}$$

$$\lambda_{\varphi\varphi}, \lambda_{rr}, \lambda_{xx};$$

$$\mu$$

$$\mu \cdot a$$

$$\mu_{ef} = k\gamma^{n-1}$$

$$v$$

$$\xi_1 = \frac{\ell_1}{L_1}, \xi_2 = \frac{\ell_2}{L_2}$$

$$\xi, \eta$$

$$\bar{\xi} = \frac{\xi}{R}, \bar{\eta} = \frac{a\eta}{2\omega R^2} = \frac{\pi a\eta}{2g}$$

conductivity λ ;

- eigenvalues and eigenfunctions of the Sturm-Liouville boundary value problem;

- dimensionless temperature;

- dimensionless bulk temperature;

- dimensionless bulk temperature;

- the optimal dimensionless temperature value;

- is the dimensionless bulk temperature of the liquid at the end of the measuring tube;

- actual value of the dimensionless temperature;

- function which determine the change of the dimensionless bulk temperature;

- thermal conductivity tensor;

- thermal conductivity;

- extradiagonal components of the thermal conductivity tensor Λ ;

- the diagonal components of the thermal conductivity tensor Λ ;

- dynamic viscosity;

- complex thermophysical parameter;

- apparent viscosity of the Non-Newtonian liquid;

- the kinematic viscosity;

- ratio of the geometrical coordinates, determining the positions of resistance thermometers RK1, RK2 on the heat exchange section of the measuring tube;

- integration variables;

- dimensionless coordinates;

ξ_n, ψ_n

$\bar{\xi}(\bar{W}, \bar{\theta})$

ρ

ρg

σ

τ

τ_H

τ_0

$\Phi(\beta), \Phi_1(\beta)$

φ

$\varphi(\bar{z})$

$\psi_n(\bar{r}), \psi_i(\bar{R})$

$\Omega = (T_w - T_e) / (T_e - T_b)$

$\bar{\omega} = \frac{4g}{\pi d^2}$

$\bar{\omega} = \frac{n}{n+1} k \left[R \left(\frac{R \Delta P}{2Lk} \right)^{\frac{1}{n}} \right]^n$

ω_0

$\omega_0 = \left[\frac{3n+1}{n+1} \right] \bar{\omega}$

$\omega_z(\mathbf{r})$

$\omega(\mathbf{r})$

- characteristic values and functions of the Sturm-Liouville boundary value problem;

- is the inverse function of the initial function $\bar{\theta} = \varphi(\bar{W}, \bar{z})$;

- density of the sample material;

- mass flow rate of the liquid;

- stress tensor; tangential or shear stress;

- time;

- is the relaxation time;

- time of filling the tank with capacity V;

- mathematical functions;

- axis of cylindrical coordinate system;

- is the mathematical function;

- eigenfunctions of the Sturm-Liouville boundary value problem;

- the dimensionless parameter;

- average velocity of liquid flow in the tube;

- is the average flow velocity of the sugar solution through the central tube at the differential pressure ΔP , applied over the heat exchange section of length L;

- maximum velocity of liquid flow;

- is the maximum non-Newtonian liquid flow velocity;

- velocity profile;

- profile of the velocity of flow of the liquid or gas, which, for fully developed flow in a tube, is given by Poiseuille's formula;